# Highway Traffic Noise Prediction for Microcomputers: Modeling of Ontario Simplified Program 

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#### Abstract

Since its publication in 1977, the FWHA highway traffic noise prediction model, STAMINA, has been used in many manual and computerized forms. In this paper, a streamlined but somewhat limited version of the STAMINA model, written in BASIC for use on personal or pocket computers, is presented. The BASIC version can be used to predict noise from highway traffic for many simple situations. The program predicts noise from three standard classes of vehicle at one receiver location, shielded by a barrier of infinite length. The model includes the free field case and two parallel roadways, and it is consistent with the assumptions made in STAMINA 2.0. The modeling and underlying assumptions are explained in sufficient detail to contribute to a better understanding of the STAMINA 2.0 mainframe program and the mathematical modeling in general. For the applicable situations, the accuracy of computation obtained is virtually the same as with STAMINA.


Several years ago, the method of traffic noise prediction best known as STAMINA was introduced in Ontario, Canada, as a computer program for mainframe computers. In a mainframe computer, the STAMINA program can handle complex cases of noise prediction. The underlying mathematical modeling for the program was first published as a manual method in a 1978 FHWA report (1). This document was the basis for several simplified methods designed for getting quick results in the course of planning activities. Among the new methods was a nomographic method developed by the Ontario Ministry of Transportation and Communications (MTC) (2).

## STAMINA FOR PERSONAL COMPUTERS

The proliferation of personal computers renders all purely manual methods (including the one presented in original report) obsolete. However, the modeling technique presented in the FHWA report is still relevant and valid. It should be noted that the model is analytical, unlike other, earlier models. This means that the STAMINA model is, for example, flexible in changing noise emissions from vehicles.

Various attempts to simplify procedures and improve understanding of the modeling behind the STAMINA program were published in 1981 (3). At that time, however, the technical community was not fully geared to using personal computers. Now that personal computers are almost ubiquitous, it is appropriate to present the simplified STAMINA modeling concepts in a form suitable for programming on microcomput-
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ers, leaving the mainframe programs for more complicated cases. The following concepts and improvements were developed on the basis of the FHWA method (1, 3).

## Modified Subtending Angle

The effect of ground absorption, estimated and expressed by a coefficient, $\alpha$, in free field segments, can be simply and fairly accurately incorporated by a modification of the subtending angles $\phi_{1}$ and $\phi_{2}$. This downward modification of both angles narrows the field segment and thus compensates for the effect of ground absorption. In calculating a modified subtending angle, $\bar{\phi}=\phi_{1}{ }^{\prime}-\phi_{2}{ }^{\prime}$, of a segment, the mathematical handling of the coefficient $\alpha$ becomes continuous and very simple (refer to the notation section).

## Energy Level Equation

Instead of adding up (logarithmic) decibel values, an equation has been developed to use direct energy levels of (nonlogarithmic) sound pressure energy. This not only assists in simplifying computations with $\alpha$ but also allows an additive treatment of vehicle traffic components. This procedure sometimes saves separate calculations for cars and for medium and heavy trucks.

## Curve Fitting of Basic Noise Attenuation Tables

The noise attenuation tables in Appendix B of the original FHWA report [(1), referred to hereinafter as Original STAMINA] have been curve-fitted for $\phi_{R}=90$ degrees and $\phi_{L}=-90$ degrees, that is, for the infinitely long barrier (minimum values) and for the very short segments (maximum values). Interpolation expressions have been derived to take care of a large range of tabulated $\Delta$ values in Appendix B. Barrier segments, which are on one side of the receiver position and do not touch the receiver line perpendicular to the road axis, are not covered by the simplified method presented.

## NOTATION

$V=$ total traffic on the road or on the part of the highway being considered, in vehicles per hour.
$p=$ fraction of car traffic (subscript A in Original STAMINA); for instance, $p=$ 0.85 means that cars represent 85 percent of $V(P=85)$.
$q=$ fraction of medium truck traffic (originally, subscript MT).
$r=$ fraction of heavy truck traffic (originally, subscript HT).
$P, Q, R=$ percentage of car, medium truck, and heavy truck traffic, respectively.
$S=$ average traffic speed, assumed to be uniform (km/hr).
$D_{0}=$ reference distance from centerline of traffic ( $D_{0}=15 \mathrm{~m}$ is the standard value).
$D_{N}=$ horizontal distance from the noise source to the center of the nearest lane (m).
$D_{F}=$ horizontal distance from the noise source to the center of the farthest lane (m).
$D_{E}=$ equivalent lane distance, equal to $\sqrt{D_{N} D_{F}}$, for free field only (m).
$L=$ hourly reference energy emission level (dBA).
$L_{\text {eq }}=$ equivalent sound level (dBA).
$\alpha=$ ground cover coefficient, according to Original STAMINA (1): $\alpha=0$ for hard, reflective surfaces and $\alpha=0.5$ for soft, absorptive surfaces.
$\phi=$ subtending segment angle in degrees, viewed from the point of the receiver toward the road.
$\phi_{1}, \phi_{2}=$ subtending angles for a segment (see Figure 1) (I).
$\phi_{1}{ }^{\prime}, \phi_{2}{ }^{\prime}=$ modified angles for a segment.
$\bar{\phi}=$ equivalent subtending angle ( $\bar{\phi}$ is reduced because of soft ground cover, as discussed later in the paper).
$\Delta=$ noise attenuation for a segment from a sound barrier parallel to the highway (dBA).
$N_{0}=$ Fresnel number for path length difference $\delta$.
$\delta=$ path length difference perpendicular to the road axis (see Figure 6).
$I=$ sound barrier insertion loss (dBA).


FIGURE 1 Subtending angle for "turning away" roadway.

For free field conditions, ground cover coefficients can be estimated in accordance with the list in the following section.

## GROUND COVER COEFFICIENTS, $\alpha$

These values are proposed by the authors:

- $\alpha=0$ for reflective ground cover, such as paved parking lots, ice-covered ground, or collector and residential streets;
- $\alpha=0.25$ for moderately reflective ground cover, such as bare soil, minor patches of grass, partially paved backyards, or parking lots interspersed with lawns;
- $\alpha=0.5$ for absorptive ground cover, such as lawns and soft soil fields or backyards with plants, flowers, and small shrubs; and
- $\alpha=0.75$ for very absorptive ground cover, such as backyards with trees and shrubs, cornfields, or similar surfaces.


## MODIFIED SUBTENDING ANGLE

The concept can be easily recognized from Equation A-64 of Original STAMINA (1, p. A-29). Looking from the receiver toward the roadway, the segment of investigation is enclosed by the angle $\phi_{1}$ to the left and $\phi_{2}$ to the right, as shown in Figure 1 for a special case of a roadway that curves away. The angles enclose the subtending angle, $\phi$.

The subtending angle is always calculated as follows:
$\phi=\phi_{1}-\phi_{2}$
where $\phi_{1}$ and $\phi_{2}$ are measured from line $P-P$ perpendicular to the road, at the receiver position $R$, positive in the clockwise direction. Note that the angle $\phi_{1}$ in Figure 1 is negative.

In the case of soft, absorptive ground cover, the angles $\phi_{1}$ and $\phi_{2}$ should be modified, and a modified or equivalent subtending angle is calculated as follows:

$$
\begin{equation*}
\bar{\phi}=\phi_{1}^{\prime}-\phi_{2}^{\prime} \tag{2}
\end{equation*}
$$

The modified angles $\phi_{1}{ }^{\prime}$ and $\phi_{2}{ }^{\prime}$ have the same signs as the actual angles $\phi_{1}$ and $\phi_{2}$, respectively. The absolute values of $\phi_{1}$ and $\phi_{2}$ can be determined from Table 1, which is the solution of the following integral:
$\phi_{1}^{\prime}=\frac{180}{\pi} \int_{0}^{\phi_{i}}(\cos \phi)^{\alpha} d \phi$
Substitution of Equation 3 into Equation 2 leads to Equation A-64 of Original STAMINA, except for a factor of 180 degrees.

In the computer program, the angles $\phi_{1}, \phi_{2}, \phi_{1}{ }^{\prime}, \phi_{2}{ }^{\prime}$, and the rest are calculated from input values of distances and lengths of segments. In accordance with the convention for the sign of those angles, the lengths of segments, or parts thereof, can be positive (to the right) or negative (to the left; refer to Figures 1 and 2). For algebraic expressions of $\phi^{\prime}=f(\alpha)$, refer to the section on curve fitting, later in this paper. Values for the


FIGURE 2 Subtending angles for barrier and roadway.

TABLE 1 ABSOLUTE VALUES OF $\phi^{\prime}$

| $\phi$ | $\alpha=0$ | $\alpha=0.25$ | $\alpha=0.5$ | $\alpha=0.75$ |
| :--- | :---: | :---: | :---: | :---: |
| $0^{\circ}$ | 0 | 5.000 | 5.000 | 5.000 |
| 5 | 5 | 4.998 | 4.997 | 4.995 |
| $10^{\circ}$ | 10 | 9.987 | 9.975 | 9.962 |
| $15^{\circ}$ | 15 | 14.957 | 14.914 | 14.872 |
| $20^{\circ}$ | 20 | 19.898 | 19.796 | 19.696 |
| $25^{\circ}$ | 25 | 24.799 | 24.601 | 24.406 |
| $30^{\circ}$ | 30 | 29.651 | 29.309 | 8.975 |
| $35^{\circ}$ | 35 | 34.442 | 33.901 | 33.374 |
| $40^{\circ}$ | 40 | 39.161 | 38.353 | 37.576 |
| $45^{\circ}$ | 45 | 43.793 | 42.645 | 41.554 |
| $50^{\circ}$ | 50 | 48.325 | 46.754 | 45.278 |
| $55^{\circ}$ | 55 | 52.741 | 50.654 | 48.723 |
| $60^{\circ}$ | 60 | 57.021 | 54.318 | 51.860 |
| $65^{\circ}$ | 65 | 61.141 | 57.714 | 54.659 |
| $70^{\circ}$ | 70 | 65.072 | 60.805 | 57.091 |
| $75^{\circ}$ | 75 | 68.772 | 63.544 | 59.119 |
| $80^{\circ}$ | 80 | 72.178 | 65.866 | 60.703 |
| $85^{\circ}$ | 85 | 75.173 | 67.664 | 61.785 |
| $90^{\circ}$ | 90 | 77.150 | 68.606 | 62.237 |
|  |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |

Note: For $\alpha=1 \quad \phi^{\prime}=\frac{180}{\pi} \sin \phi$
Note: Algebraic expressions for $\phi^{\prime}=f(\alpha)$ may be found in the section on curve fitting. Values for the modified subtending angle $\phi^{\prime}$ can be taken from this table for manual calculations.
modified subtending angle, $\phi^{\prime}$, can be taken from Table 1 for manual calculations.

## ENERGY LEVEL EQUATION

The $A$-weighted reference energy mean emission levels for cars, medium trucks, and heavy trucks can be transformed into
direct energy expressions. The equations used in Original STAMINA are given in the FHWA report (1, pp. 4-5). The transformed or delogarithmized equations are, for cars, medium trucks, and heavy trucks, respectively,
$C=0.57544 \cdot S_{A}{ }^{3.81}$
$M=43.6516 \cdot S_{\mathrm{MT}}{ }^{3.39}$
$H=7079.4578 \cdot S_{\mathrm{HT}^{2}}{ }^{2.46}$
This leads to a simple equation for the total hourly equivalent sound level, $L_{\text {eq }}(\mathrm{h})$ in dBA:
$L_{\mathrm{eq}}(h)=10 \log \left[\frac{\bar{\phi}}{15} \overline{V K}\left(\frac{15}{D_{E}}\right)^{1+\alpha}\right]$
where
$\bar{K}=K_{A}+K_{\mathrm{MT}}+K_{\mathrm{HT}}$
$K_{A}=(P / 44253) S_{A}^{2.81}$
$K_{\mathrm{MT}}=(Q / 583.36) S_{\mathrm{MT}}{ }^{2.39}$
$K_{\mathrm{HT}}=0.27801 \cdot R \cdot S_{\mathrm{HT}}{ }^{1.46}$
Equations $9-11$ (or A-3, A-4, and A-5) are derived from Original STAMINA (1). They represent U.S. national averages for vehicle types. It is recommended that these equations be modified if vehicle noise emission levels differ from those established in the United States in 1977, although there is no reason to change the equations if differences are smaller than the statistical variations in the noise emission data. The ground cover coefficient, $\alpha$, was discussed earlier in this paper.

Data collected in Ontario during 1984 and 1985 resulted in a different set of equations:
$K_{A}=(P / 1114.14) S_{A}^{2.041}$
$K_{\mathrm{MT}}=(Q / 8.2402) S_{\mathrm{MT}}{ }^{1.406}$
$K_{\mathrm{HT}}=45.5051 \cdot R \cdot S_{\mathrm{HT}}{ }^{0.259}$
These equations, labeled B-1, B-2, and B-3 in Original STAMINA, would replace original Equations A-3, A-4, and A-5 (9-11 in this paper). The underlying emission level equations can be found elsewhere (4).

## CURVE FITTING OF TABLE 1 (EQUATION 3 RESULTS)

A closed solution of the integral expression of Equation 3 is not possible. Table 1 was established by numerical integration. The columns can be curve fitted approximately by the following equations (A-6 to A-9 in Original STAMINA). In this way, a solution that is suitable for small computers can be achieved, and calculations will be fast and direct.
$\phi_{i}^{\prime}=\phi_{i}\left[1-\frac{M}{\left|\phi_{i}\right|}\left(\frac{\left|\phi_{i}\right|}{90}\right)^{n}\right]$
$M=(90)\left(\frac{0.58 \alpha^{0.9}}{0.58 \alpha^{0.9}+1}\right)$
$N=\frac{1}{0.134 \alpha+0.225}$
For $\alpha=1$, the accurate solution is
$\bar{\phi}=\frac{180}{\pi}\left(\sin \phi_{2}-\sin \phi_{1}\right)$
The special case of $\phi_{2}=90$ degrees and $\phi_{1}=-90$ degrees has been approximated by a different equation. For $0 \leq \alpha \leq 0.75$,
$\bar{\phi}=\frac{180}{1+0.58 \alpha^{0.9}}$
and for $\alpha=1$, the accurate solution in this case is
$\bar{\phi}=\frac{180}{\pi / 2}$
The ground cover coefficient is treated as a continuous variable. The approximation of the integral Equation 3, represented by Equations 12-17, is accurate enough for all practical purposes.

## BARRIER INSERTION

When free field noise is intolerably high, the insertion of a sound barrier wall may help. Figure 2 shows a typical case of a barrier that is shorter than the visible part of the roadway. There are three segments that contribute to traffic noise at
point $R$, namely, left of the barrier, over the barrier, and right of the barrier. Their subtending angles are $\phi_{L}-\phi_{F 1}, \phi_{R}-\phi_{L}$, and $\phi_{F 2}-\phi_{R}$, respectively. These angles can be calculated from length and distance dimensions, which are also given in Figure 2 ( $X_{L}$ and $X_{R}$ are the left and right road distances, or visible road length, and $L_{1}$ and $L_{2}$ are the left and right barrier length). It should be noted that angles and corresponding barrier or roadway distances can be negative when they point left from the perpendicular receiver line through $R$. The three segments must be treated separately and their noise contributions added. The procedure is explained thoroughly in Original STAMINA (1), and some of the explanation is repeated here to establish references for programming.

The basic barrier attenuation, $\Delta$, is a function of $\phi_{L}$ and $\phi_{R}$, as defined in Figure 2, and of the Fresnel number, $N_{0}$. The insertion of a barrier has an effect on sound absorption by a soft ground. For high barriers ( 4 to 5 m ), the benefit of soft ground absorption can be assumed to be eliminated completely so that such barrier sections must also be calculated for $\alpha=0$. For barriers of low height (less than or equal to 3 m ) the absorption of a soft ground cover is still effective, but the coefficient $\alpha$ may be reduced considerably from its maximum value for the frec ficld condition ( 5,6 ).

To establish reference equations for the PC program, a discussion of the Fresnel number calculation and path length difference is included here. In the usual, well-known way, the Fresnel number is calculated as follows:
$N_{0}=2\left(\frac{f \delta}{c}\right)=2\left(\frac{550 \delta}{343}\right)=3.207 \delta \approx 3.21 \delta$
where

$$
\begin{aligned}
f= & \text { frequency of sound waves, with } f=550 \mathrm{~Hz} \\
& \text { selected as a representative frequency for } \\
& \text { noise }(\mathrm{Hz}) ; \\
c= & \text { velocity of sound in air, equal to } 343 \mathrm{~m} / \mathrm{s} ; \\
& \text { and } \\
\delta= & \text { path length difference between noise source } \\
& \text { and receiver, perpendicular to the road axis, } \\
& \text { comparing a direct path line } C \text { with an } \\
& \text { indirect path line over top of the barrier }(A+ \\
& B ; \text { see Figure } 3) ; \delta=A+B-C(\mathrm{~m}) .
\end{aligned}
$$

To calculate the path length difference, the calculations must be organized in terms of horizontal distances and heights above the road surface. Denotation should be in accordance with Figure 4:
$h_{S}=$ level of noise source above the road surface (m),
$h_{R}=$ level of receiver of noise above the road surface (m),
$h_{T}=$ level of barrier top above the road surface (m),
$d_{S}=$ horizontal distance of noise source from a vertical plane through the barrier top ( m ), and
$d_{R}=$ horizontal distance of noise receiver from a vertical plane through the barrier top (m).


FIGURE 3 Path length difference, $\delta$.


FIGURE 4 Organizing the calculation of $\delta$.


FIGURE 5 Characteristics of Equations 15 and 16.

Then

$$
\begin{align*}
\delta= & A+B-C \\
\delta= & \sqrt{\left(h_{T}-h_{s}\right)^{2}+d_{s}^{2}}+\sqrt{\left(h_{T}-h_{R}\right)^{2}+d_{R}^{2}} \\
& -\sqrt{\left(h_{S}-h_{R}\right)^{2}+\left(d_{S}+d_{R}\right)^{2}} \tag{19}
\end{align*}
$$

The following assumptions are made for receiver and source heights above ground or road surfaces, respectively:

- Noise from cars: $h_{\mathrm{SA}}=0$;
- Noise from medium trucks: $h_{\text {SMT }}=0.7 \mathrm{~m}$;
- Noise from heavy trucks: $h_{\mathrm{SHT}}=2.44 \mathrm{~m}$; and
- Height of receiver above ground: $h_{\mathrm{R}}=1.5 \mathrm{~m}$ (may be lower or higher than 1.5 m above the road surface).

Once a barrier is in place, the equivalent lane distance from the source to the receiver is different. The distance of the near lane from the barrier is denoted $\mathrm{dN}(\mathrm{m})$ and the distance of the far lane from the barrier is denoted $\mathrm{dF}(\mathrm{m})$. Then

$$
\begin{equation*}
D_{\mathrm{EB}}=d_{R}+\sqrt{d_{N} \times d_{F}} \tag{20}
\end{equation*}
$$

## CALCULATING BARRIER ATTENUATION

## Basic Equations

Original STAMINA presents the solution of a complex integral in the form of tables for the value $\Delta$, the noise attenuation in dBA , representing a function of $N_{0}, \phi_{L}$, and $\phi_{R}(1, \mathrm{pp}$. B-11-B-71). The important range begins at $N_{0}=0.05$ for $N=$ 3. Beyond this range, the barrier either would not be warranted or would be too high ( 5 m or higher), heavy, and ugly. High barriers with $N_{0}>3$ are still included, and low barriers (below $N_{0}=0.05$ ) approach a value of $\Delta=5 \mathrm{~dB}$ without much error or deviation.

A portion of the previously mentioned tabulated function has been curve fitted (see Figure 5). The basis of this approach was established by finding an equation to fit the values of $\Delta$ for $\phi_{L}=-90$ degrees and $\phi_{R}=+90$ degrees (i.e., for an infinitely long barrier). This equation is a function of $N_{0}$ only:
$\Delta_{I}=5+14.4 \cdot e^{-0.175\left(2-\log N_{0}\right)^{25}}$
The equation is accurate within $\pm 0.04 \mathrm{~dB}$; that is, it is as accurate as the table values.

Equation 21 is only valid for barriers that intercept the line of sight between source and receiver. For barriers with a top lower than this line of sight, the following equation is assumed, using positive values of $N_{0}$ as input:
$\Delta=5-25 N_{0} \geq 0$

Equation 22 is an assumed approximate model for this range of low barrier heights, for which accuracy is of lesser importance. Because of the limitations in the calculation of barrier attenuation values, cases in which the barrier height above the roadway surface is less than 0.6 m should be declared invalid. (Cases below 2 m height should be approached with some caution when the ground cover is soft.)

The maximum values of $\Delta$ for short segments of barriers at the source-receiver line (1, pp. B-11-B-71) have also been curve fitted, as follows:
$\Delta_{\max }=5.15+14.4 e^{-0.59\left(1-\log N_{0}\right)^{2}}$
Between these $\Delta$ values, for infinitely long and very short barriers ( $\Delta_{I}$ and $\Delta_{\max }$ ), a complex interpolation formula has been derived, as follows:
$\Delta=\Delta_{\max }-\left(\Delta_{\max }-\Delta_{I}\right)\left(\phi_{E} / 90\right) \eta$
where
$\phi_{E}=\frac{\phi_{R}-\phi_{L}}{2}$ (average of $\left|\phi_{R}\right|$ and $\left|\phi_{L}\right|$ )
$\eta=1+\left(1.25+\frac{N_{0}}{2}\right)\left[1-3.24\left(\frac{\left|\phi_{L}+\phi_{R}\right|}{90}\right)^{2}\right]$

This interpolation is valid for a certain limit of the difference between $\left|\phi_{R}\right|$ and $\left|\phi_{L}\right|$, namely, for
$\phi_{R}+\phi_{L} \leq 45$ degrees (note: $\phi_{L}$ is negative)
For differences outside this domain, $\phi_{R}+\phi_{L}>45$ degrees, the following approximation is more accurate than Equations 25 and 26 :
$\eta=1+\left(1.25+\frac{N_{0}}{2}\right)$
$\phi_{E}=\phi_{R}+\frac{\phi_{L}}{5}\left|\phi_{R}\right|>\left|\phi_{L}\right|$
$\dot{\psi}_{E}=-\dot{\psi}_{L}-\frac{\phi_{R}}{5} \quad\left|\dot{\psi}_{L}\right|>\left|\dot{\psi}_{R}\right|$

Normally, $\phi_{R}$ is always positive and $\phi_{L}$ is always negative, according to definitions given in Figures 1 and 2 and earlier in the text. However, small angles of opposite sign (up to 10 degrees) can be accepted. Thus the following condition was introduced: if $\phi_{R}<-10$ degrees or $\phi_{L}>+10$ degrees, the barrier insertion loss is declared invalid.

## Ground Absorption

In the selection of a ground absorption coefficient, $\alpha$, the following factors should be noted. When the ground cover coefficient $\alpha_{F}$ for free field sound absorption is selected in accordance with the list presented in the earlier section on coefficient $\alpha$, the program user should understand that the recommended values are only for normal, fairly even terrain. It should be noted that the beneficial effect of ground absorption (i.e., the coefficient $\alpha$ ) deteriorates when the height of the sound propagation paths between source and receiver above the absorptive ground increases beyond the normal average height of source and receiver. This condition occurs with high noise barriers, but it also occurs also when the ground between source and receiver is significantly depressed.

In the STAMINA 2.0 mainframe computer program the value $\alpha_{B}$ (for barrier present) is therefore set to zero in any segment at which a barrier is present before the attenuation, $\Delta$, is deducted (refer to the terms LB and $\Delta$ in Equation 26). Generally, this results in a much reduced or decreased net insertion loss (compared to $\Delta$ ). For very low barrier heights this could even lead to negative values for this net insertion loss, which would actually be an apparent gain in noise level above the free field condition level, in spite of the presence of a barrier. The program avoids such embarrassing contradictions by internal controls (IF LL < LF THEN LL = LF), without having a true solution.

When a valley or a ground depression of some kind is located between the source and receiver, the coefficient $\alpha_{F}$ should be selected accordingly, that is, below the pertinent value indicated in the list presented earlier. A further reduction from $\alpha_{F}$ to $\alpha_{B}$ is then less severe.

For barriers of low and moderate heights (below 3 m ) there is a transition problem with the value $\alpha_{F}$ and zero. Further guidance on this issue can be found in the work of Jung ( 6 ). Without this precaution, both the PC versions presented here and the mainframe STAMINA would underestimate the effect of low barriers in a terrain of absorptive ground. The problem of ground absorption, however, has not yet been sufficiently clarified that a definite procedure can be recommended as a solution.

## CALCULATION PROCEDURES

Calculations are carried out for the three vehicle types (cars, medium trucks, and heavy trucks) and for a maximum of two parallel roadways separately, and the results are then combined or added at a later stage. The program consists of one basic subroutine to calculate the free field noise for any segment, using dummy variables for $D_{E}, \alpha$, and $\phi_{1}$ and $\phi_{2}$ (the angles left and right of the segment, measured clockwise from the perpendicular line through point $R$, i.e., the line $P-P$ in Figures 1 and 2). By using this subroutine, free field noise levels are calculated from the total roadway section (LF) from $\phi_{F 1}$ to $\phi_{F 2}$, the barrier section (LB) from $\phi_{L}$ to $\phi_{R}$, the segment left of the barrier (LX) from $\phi_{F 1}$ to $\phi_{L}$, and the segment right of the barrier (LY) from $\phi_{R}$ to $\phi_{F 2}$ (see Figure 2).

Another major part of the program consists of calculating barrier attenuation, denoted as $\Delta$, for each vehicle type and for the segment with barrier, from $\phi_{L}$ to $\phi_{R}$, adjusted in accordance with the method shown above. The barrier net insertion loss (IL) for each vehicle type and roadway is then calculated as
$I L=L F-(L B-\Delta+L X+L Y)$
where the terms in parentheses represent the noise level after barrier construction (LL).
At the end, the two kinds of noise levels, LF and LL, for each roadway are then added the LF and LL totals. A new, final net insertion loss is then calculated: $I=L F-L L$.

The sound absorption coefficient $\alpha_{F}$ for ground cover, as listed earlier, is only valid for free field conditions (LF, LX, LY). The term LB must be calculated with a reduced $\alpha$, and the STAMINA mainframe computer program assumes a value of $\alpha_{B}=0$, which may be too low for very low barrier heights
(O). To be consistent with STAMINA, the program here assumes that $\alpha_{B}=0$ unless another option is chosen.

## PROGRAM COMPARISONS

The proposed new program for microcomputers was compared with the mainframe STAMINA program. In most instances there were virtually no differences in the results. This was to be expected because the basic assumptions in modeling the programs were identical. However, inexplicable small differences of about 0.5 dBA were found at low barrier heights (less than or equal to 2.5 m ) (see Figure 6).


FIGURE 6 Comparison with the mainframe program STAMINA (variable barrier height).

## BASIC PROGRAM

## Program Listing

```15GOTO 230
\(130 \mathrm{~N}=1 /(0.1334 * \mathrm{AL}+0.225)\)
\(140 \mathrm{M}=(90) *(0.58 * \mathrm{AL} \uparrow 0.9+1)\)
\(150 \quad \mathrm{Y} 1=\mathrm{ABS}(\mathrm{P} 1): \mathrm{Y} 2=\mathrm{ABS}(\mathrm{P} 2)\)
160 IF P1 = 0 THEN GOTO 180
\(170 \mathrm{PA}=\mathrm{P} 1 *(1-(\mathrm{M} / \mathrm{Y} 1) *(\mathrm{Y} 1 / 90.) \uparrow \mathrm{N})\)
180 IF P2 \(=0\) THEN GOTO 200
```

    \(\mathrm{PB}=\mathrm{P} 2 *(1-(\mathrm{M} / \mathrm{Y} 2) *(\mathrm{Y} 2 / 90.) \uparrow \mathrm{N})\)
    IF P1 \(=0\) THEN LET PA \(=0\)
    IF P2 \(=0\) THEN LET PB \(=0\)
    \(\mathrm{PH}=\mathrm{PB}-\mathrm{PA}\)
    \(\mathrm{K}(1)=(\mathrm{P} / 44253) * \mathrm{~S} 1 \uparrow 2.81\)
    \(\mathrm{K}(2)=(\mathrm{Q} / 583.36) * \mathrm{~S} 2 \uparrow 2.39\)
    \(K(3)=0.27801 * R * S 3 \uparrow 1.46\)
    \(K(4)=K(1)+K(2)+K(3)\)
    FOR J = 1 TO 4 STEP 1
    IF \(\mathrm{PH}<0.001\) THEN L( J\()=0\)
    IF PH < 0.001 GOTO 330
    IF \(K(J)=0 \quad\) THEN \(L(J)=0\)
    IF \(\mathrm{K}(\mathrm{J})=0\) GOTO 330
    \(\mathrm{L}(\mathrm{J})=(10 / \mathrm{LOG}(10)) * \mathrm{LOG}((\mathrm{PH} / 15) * \mathrm{~V} * \mathrm{~K}(\mathrm{~J}) *(15 / \mathrm{DE})\)
    \(\uparrow(1+A L))\)
    330 NEXT J
340 RETURN
350 REM FREE FIELD NOISE FOR C, MT, HT
360 P1 = F1 : P2 = F2: AL=AF : DE=D0
370 GOSUB 100
380 FOR J = 1 TO 4 STEP 1
$390 \mathrm{LF}(\mathrm{J})=\mathrm{L}(\mathrm{J})$
400
410
420 PRINT U(1), U(2), U(3), U(4)
440 IF A=1 GOTO 810
450
460
470
480
490
500
615 IF A = 1 GOTO 810
620 FOR $J=1$ TO 3 STEP 1
630 LG $=\operatorname{LOG}(\mathrm{T}(\mathrm{J})) / \mathrm{LOG}(10)$
640 DY $=5+14.4 * E X P(-.175 *(2-L G) \uparrow 2.5)$
$650 \mathrm{DX}=5.15+14.4 * \operatorname{EXP}(-.59 *(1-\mathrm{LG} \uparrow 2)$
660 IF NN > 1.0 THEN NN $=1$
670 IF NN $<6.0$ THEN NN $=6.0$
$720 \quad \mathrm{D}(\mathrm{J})=\mathrm{DX}-(\mathrm{DX}-\mathrm{D} 6) *(\mathrm{FI} / 90) \uparrow \mathrm{NN}$
730 IF $\mathrm{D}(\mathrm{J})>19.5$ THEN $\mathrm{D}(\mathrm{J})=19.5$
740 IF HB-HR $\leq(\mathrm{H}(\mathrm{J})-\mathrm{HR}) *(\mathrm{DR} / \mathrm{DB})$ THEN $\mathrm{D}(\mathrm{J})=5-$
$25 * T(J)$
745 IF D(J) 0 THEN D(J) $=0$
$750 \quad \mathrm{~V}(\mathrm{~J})=\mathrm{FN} F(\mathrm{D}(\mathrm{J}))$
755 NEXT J : AR = 0
760 PRINT V(1), V(2), V(3)
770 FOR J = 1 TO 3 STEP 1

```
780 LL(J) = LB(J)-D(J)
785 W(J) = FN F(LL(J))
790 AR = AR + 10 \uparrow (LL(J)/10) : NEXT J
800 LL(4) = 10*(LOG(AR))/LOG(10)
802 W(4) = FN F(LL(4))
805 PRINT W(1), W(2), W(3), W(4)
810 REM FREE F. NOISE & DELTA OUTPUT
820 PRINT#4, " FREE FIELD NOISE LEVEL AND
    DELTA VALUES"
830 PRINT#4
840 PRINT#4, "CARS: "",U(1),V(1)
850 PRINT#4, "MEDIUM TRUCKS: ", U(2),V(2)
860 PRINT#4, "HEAVY TRUCKS: ", U(3),V(3)
870 PRINT#4, "TOTAL, ALL VH.: ", U(4)
875 IF A = 1 THEN PRINT#4, "INVALID BARRIER
    CASE"
876 IF A=1 THEN PRINT "INVALID BARRIER CASE"
8 7 7 ~ I F ~ A = 1 ~ G O T O ~ 2 2 0 0 ~
880 PRINT#4 : PRINT#4
885 IF FI > 89 GOTO 1890
890 IF FL < = -88 GOTO 915
8 9 5 ~ P 1 ~ = ~ F 1 ~ : ~ P 2 ~ = ~ F L ~ : ~ A L ~ = ~ A F ~ : ~ D E ~ = ~ D 0 ~
900 GOSUB 100
905 FOR J = 1 TO 4
910 LX(J) = L(J) : NEXT J
915 IF FR > = 88 GOTO 940
920 P1 = FR : P2 = F2 : AL = AF : DE = DO
925 GOSUB 100
930 FOR J = 1 TO 4
935 LY(J) = L(J) : NEXT J
940 FOR J = 1 TO 4
945 KK = 10 \uparrow((LL(J))/10 + 10\uparrow((LX(J))/10) + 10\uparrow
    ((LY(J))/10)
950 LL(J) = 10*LOG(KK)/(LOG(10))
755 IF LL(J) LF(J) THEN LL(N)= LF(J)
960 W(J) = FN F(LL(J))
9 6 5 ~ N E X T ~ J ~
970 PRINT W(1), W(2),W(3), W(4)
975 GOTO 1800
1000 REM SUBROUTINE DETERMINING FI & NN
1005 LET QQ = 0.20
1010 IF FR < -10 GOTO 1060
1015 IF FL > +10 GOTO 1060
1020 IF ABS(FR+FL) \leq 45 GOTO 1100
1030 IF ABS(FR) > ABS(FL) GOTO 1120
1040 IF ABS(FR) < ABS(FL) GOTO 1130
1060 A = 1 : GOTO 1150
1100 NN = 1+(1.25+T(J)/2)*(1-3.24*(ABS(FR+FL)/90 \uparrow
    2)
1110 FI = (FR - FL)/2: GOTO 1150
1120 FI = FR + QQ*FL
1125 NN = 2.25+T(J)/2: GOTO 1150
1130 FI =-QQ*FR - FL
1135 NN = 2.25 + T(J)/2
1150 RETURN
1890 FOR J = 1 TO 4 STEP 1
1900 LL(J) = LF(J) - LL(J)
1905 Z(J) = FN F(LL(J)) : NEXT J
1910 REM FINAL OUTPUT FOR ONE ROADWAY
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PRINT Z(1), Z(2), Z(3), Z(4)
PRINT\#4, " NOISE AFTER BARRIER AND NET INSERTION LOSS:"
PRINT\#4
PRINT\#4, "CARS: ", W(1), Z(1)
PRINT\#4, "MEDIUM TRUCKS: ", W(2), Z(2)
PRINT\#4, "HEAVY TRUCKS: ", W(3), Z(3)
PRINT\#4, "TOTAL, ALL VH.: ", W(4), Z(4)
PRINT\#4 : PRINT\#4
IF LU(4) <<x 0 GOTO 2060
ON NR GOTO 2200, 2000
REM STORE IMPORTANT RESULTS
FOR $\mathrm{J}=1$ TO 4
$\mathrm{LU}(\mathrm{J})=\mathrm{LF}(\mathrm{J}): \operatorname{LV}(\mathrm{J})=\mathrm{LL}(\mathrm{J})$
NEXT J
GOSUB 2210
GOTO 35
FOR J = 1 TO 4
$\mathrm{SS}=10 \uparrow(\mathrm{LU}(\mathrm{J}) / 10)+10 \uparrow(\mathrm{LF}(\mathrm{J}) / 10)$
$\mathrm{FF}(\mathrm{J})=(10 / \mathrm{LOG}(10)) * \mathrm{LOG}(\mathrm{SS})$
$\mathrm{XU}(\mathrm{J})=\mathrm{FN} \mathrm{F}(\mathrm{FF}(\mathrm{J}))$
$R R=10 \uparrow(\operatorname{LLV}(\mathrm{~J}) / 10)+10 \quad \uparrow(\mathrm{LL}(\mathrm{J}) / 10)$
$Y Y(J)=(10 / L O G(10)) * L O G(R R)$
$\mathrm{YV}(\mathrm{J})=\mathrm{FN} F(\mathrm{YY}(\mathrm{J}))$
$\amalg(J)=F F(J)-Y Y(J)$
$\mathrm{IW}(\mathrm{J})=\mathrm{FN} \mathrm{F}(\mathrm{II}(\mathrm{J}))$
NEXT J : PRINT\#4 : PRINT\#4
PRINT\#4, "TOTALS FROM TWO ROADWAYS:"
PRINT\#4 : PRINT
PRINT\#4, "NO." , " BEFORE", " AFTER", "
INS.LOSS"
FOR J = 1 TO 4
PRINT XU(J), YV(J), IW(J)

NEXT J : PRINT\#4
CLOSE 4: END
REM READING NEW DATA FOR SECOND ROADWAY
READJ V, Q, R, S1, S2, S3
READ X1, X2, DN, DF, AF
RETURN
REM
REM V, Q, R, S1, S2, S3
DATA 363, 6.612, 6.061, 75, 75, 75
REM
REM NR, X1, X2, DN, DF, AF
DATA 2, $-10000,10000,60,60, .50$
REM
REM HB, L1, L2, DR, HR, RS
DATA $1.5,-500.0,500.0,48.17,1.5,1.5$
REM
REM
REM V, Q, R, S1, S2, S3
DATA 318, 3.774, 7.862, 75, 75, 75
REM
REM X1, X2, DN, DF, AF
DATA -100000, $10000,63.66,63.66, .5$

Appendix D of Original STAMINA provides an example with similar input, except that $\mathrm{HB}=4.0 \mathrm{~m}, \mathrm{~L} 1=17.532 \mathrm{~m}$, and $\mathrm{L} 2=132.346 \mathrm{~m}(1)$.

## Notatlon: Input Terms

NR $=$ Number of roadways: one (1) or two (2).
$\mathrm{X} 1=$ Length of visible roadway to the left of the perpendicular receiver line; must be a negative value when measured to the left of that line (exception: skew to the right) (m).
$\mathrm{X} 2=$ Length of visible roadway to the right of the perpendicular receiver line; must be a positive value when measured to the right of the line (exception: skew to the left) (m).
DN = Distance of near lane from receiver (m).
$\mathrm{DF}=$ Distance of far lane from receiver (m).
$\mathrm{AF}=$ Ground absorption coefficient $\alpha$ for free field, to be chosen according to ground cover conditions.
$\mathrm{AB}=$ Modified ground absorption coefficient for a field after barrier insertion; for a barrier of normal height, $\mathrm{AB}=0$.
$\mathrm{HB}=$ Barrier height measured from roadway surface level ( m ).
$\mathrm{L} 1=$ Length of the barrier left of the perpendicular receiver line; must be negative when measured to the left of that line (m).
$\mathrm{L} 2=$ Length of the barrier right of the perpendicular receiver line; must be positive when measured to the right of that line ( m ).
$D R=$ Distance between receiver and barrier measured perpendicular to the road axis (m).
$\mathrm{HR}=$ Receiver height above the road surface level; can be positive or negative, depending on the ground level at the receiver (standard assumption is 1.5 m above ground level, then add the difference between ground and roadway level) (m).
RS $=$ Standard receiver height above ground level ( 1.2 m or 1.5 m ) (m).
$\mathrm{V}=$ Hourly volume of total traffic (number of vehicles per hour, or vph).
$P=P e r c e n t a g e ~ o f ~ c a r s ~ a n d ~ s m a l l ~ t r u c k s . ~$
$Q=$ Percentage of medium trucks.
$\mathrm{R}=$ Percentage of heavy trucks.

## Notation: Calculated Terms

$\mathrm{F} 1, \mathrm{~F} 2=$ Subtending angles calculated from X 1 and X2.
$\mathrm{FL}, \mathrm{FR}=$ Subtending angles calculated from L 1 and L2 (note that F1 and FL are usually negative values, and all angles are in degrees).
$\mathrm{DO}=$ Equivalent lane distance for free field condition (m).
$\mathrm{DB}=$ Equivalent lane distance for field with barrier insertion (m).
P1 = Left subtending angle.

```
        P2 = Right subtending angle for a section or
                segment (note that these are dummy
                variables).
    AL = Ground cover coefficient }\alpha\mathrm{ .
    DE = Equivalent lane distance (m).
    PA = Modified subtending angle to the left of the
        segment ( }\mp@subsup{\phi}{1}{\prime}\mathrm{ ) (in degrees).
        PB = Modified subtending angle to the right of
        the segment ( }\mp@subsup{\phi}{2}{\prime}\mathrm{ ) (in degrees).
        PH = PB - PA = }\overline{\phi
    L(J) = Noise level; output dummy variable (dBA).
LF}(J)=N\mathrm{ Noise level for free field, before barrier
        (dBA).
LB(J) = Noise level for barrier field or segment
        (dBA).
LL(J) = Noise level after barrier construction (dBA).
    H(J) = Source heights for cars and for medium and
        heavy trucks (m).
PD(J) = Path length differences (m).
    T}(\textrm{J})=F\mathrm{ Fresnel number ( }\mp@subsup{N}{0}{})
    D(J) = Noise attenuation (\Delta), basic values (dB).
FI, FF = Entrance angle for modifying the noise
        attenuation value, D(J) (in degrees).
LX(J) = Leakage of noise left of the barrier (dBA).
LY(J) = Leakage of noise right of the barrier (dBA).
    LL}(J)=Net insertion loss for one roadway (dBA)
    FF(J) = Free field noise level from two roadways
        (dBA).
YY(J)= Noise level from two roadways, after barrier
        installation.
    \Pi ( J ) = F i n a l ~ n e t ~ i n s e r t i o n ~ l o s s ~ f o r ~ t w o ~ r o a d w a y s .
```

The arrays defined above have different names for the values rounded to three decimal places. For practical application a further rounding to one decimal place is recommended.

Deviations from STAMINA are predominantly conservative, ranging from 0.1 to 0.3 dBA , approximately. The larger errors occur for larger values of $\mathrm{D}(\mathrm{J})$. Deviations for free field noise calculations are less than 0.1 dBA .

## EXAMPLE AND USER GUIDE

To provide an example and user's guide to using the (lowlevel) BASIC program, a problem has been chosen that is in manual form in Original STAMINA: Problem 10 ( $1, \mathrm{pp}$. 39-53). The following values are given:

- Average speed of all vehicles: $75 \mathrm{~km} / \mathrm{hr}$ in all lanes;
- Vehicles per hour, for eastbound (EB) and westbound (WB) lanes:
- Cars: EB 317, WB 281;
- Medium Trucks: EB 24, WB 12;
- Heavy Trucks: EB 22, WB 25;
$-\Sigma E B=363, \Sigma W B=318$.
These data lead to the following input values: $E B$, first roadway:
$\mathrm{V}=363$ vehicles $/ \mathrm{hr} \quad S_{1}=S_{2}=S_{3}=75 \mathrm{~km} / \mathrm{hr}$


FIGURE 7 Geometric data (not to scale).
$Q=\frac{24 \times 100}{363}=6.612$ percent
$R=\frac{22 \times 100}{363}=6.061$ percent

WB, second roadway:
$\mathrm{V}=318$ vehicles $/ \mathrm{hr} \quad S_{1}=S_{2}=S_{3}=75 \mathrm{~km} / \mathrm{hr}$
$\mathrm{Q}=\frac{12 \times 100}{318}=3.774$ percent
$\mathrm{R}=\frac{25 \times 100}{318}=7.862$ percent

It should be noted that the program will also accept different speeds for the three classes of vehicles and for the two roadways or lanes. In this example the two lanes, EB and WB, are treated as two different roadways because of the difference in traffic volumes. If volumes (and speeds) were identical, the two lanes could be combined on a roadway with different values of $D_{F}$ and $D_{N}$.

A ground cover coefficient is chosen to handle absorption: $\alpha_{F}=0.5$. Figure 7 shows the geometric data of the example. For each of the two roadways, EB and WB, the values presented in Table 2 must be obtained from drawings, maps, and other materials (see Figure 7). Input data are listed at the end of the program, using a convenient batch input:

3000 REM
3010 REM V, Q, R, S1, S2, S3
3020 DATA 363, 6.612, 6.061, 75, 75, 75
3030 REM

TABLE 2 VALUES OF GEOMETRIC DATA FOR THE EXAMPLE

|  | Value (m) |  |
| :---: | :---: | :---: |
|  | Eastbound | Westbound |
| Left length of roadway, X1 (negative) | -10 000 | -10 000 |
| Left length of barrier, L1 (negative) | -17.532 | (-17.532) |
| Right length of roadway, X2 (positive) | -10000 | 10000 |
| Right lingeth of tamieit, L2 (positivic) | 132.346 | (132.346) |
| Near lane distance, DN | 60 | 63.66 |
| Far lane distance, DF | 60 | 63.66 |
| Receiver distance from barrier, DR | 48.17 | (48.17) |
| Barrier height above roadway, HB | 4.0 | (4.0) |
| Receiver height above roadway, HR | 1.5 | (1.5) |
| Receiver height above ground level, RS | 1.5 | (1.5) |

Notes: Because there is only one lane per roadway, $\mathrm{DN}=\mathrm{DF} .10,000$ and -10000 m stand for a practically infinite length of roadway. Values in parentheses need not be repeated because they remain the same for both westbound and eastbound lanes.

| 3040 | REM NR, X1, X2, DN, DF, AF |
| :--- | :--- |
| 3050 | DATA 2, 10000, 10000, 60, 60, .5 |
| 3060 | REM |
| 3070 | REM HB L1, L2, DR, HR, RS (EB \& WB) |
| 3080 | DATA $4.0,17.532,132.346,48,17,1.5,1.5$ |
| 3090 | REM |
| 3100 | REM |
| 3110 | REM V, Q, R, S1, S2, S3 |
| 3120 | DATA 318, 3.774, 7.862, 75, 75, 75 |
| 3130 | REM |
| 3140 | REM X1, X2, DN, DF, AF |
| 3150 | DATA $10000,10000,63.66,63.66, .5$ |
| 3160 | REM |


| FREE FIELD NOISE LEVEL AND DELTA VALUES (EB) |  |  |
| :--- | :---: | :---: |
| CARS: | 51.822 | 15.157 |
| MEDIUM TRUCKS: | 51.538 | 13.878 |
| HEAVY TRUCKS: | 55.822 | 9.649 |
| TOTAL, ALL VEHICLES: | 58.304 |  |

NOISE AFTER BARRIER AND NET INSERTION LOSS, ALPHAB $=0$

| CARS: | 48.360 | 3.461 |
| :--- | :---: | :---: |
| MEDIUM TRUCKS: | 48.204 | 3.331 |
| HEAVY TRUCKS: | 53.249 | 2.574 |
| TOTAL, ALL VEHICLES: | 55.391 | 2.913 |


| FREE FIELD NOISE LEVEL AND DELTA VALUE |  |  |
| :--- | :---: | ---: |
| CARS: | 50.912 | 14.210 |
| MEDIUM TRUCKS: | 48.142 | 12.979 |
| HEAVY TRUCKS: | 55.991 | 9.171 |
| TOTAL, ALL VEHICLES: | 57.678 |  |

NOISE AFTER BARRIER AND NET INSERTION LOSS, ALPHAB $=0$

| CARS: | 47.557 | 3.355 |
| :--- | :---: | :---: |
| MEDIUM TRUCKS: | 44.943 | 3.200 |
| HEAVY TRUCKS: | 53.582 | 2.409 |
| TOTAL, ALL VEHICLES: | 55.002 | 2.677 |

TOTAL NOISE BEFORE AND AFTER BARRIER, AND NET INSERTION LOSS

| NUMBER | BEFORE | AFTER | INSERTION LOSS |  |
| :--- | :--- | :---: | :---: | :---: |
| 1 | CARS | 54.401 | 50.988 | 3.413 |
| 2 | MEDIUM TRUCKS | 53.174 | 49.885 | 3.290 |
| 3 | HEAVY TRUCKS | 58.918 | 56,429 | 2.489 |
| 4 | TOTAL | 61.013 | 58,211 | 2.802 |
|  |  | $L_{\text {eq }}($ BEFORE $)$ | Leq (AFTER) | I (FOR BOTH, EB \& WB) |

$$
\begin{aligned}
& \text { COMPARISON OF THE TOTAL WITH REFERENCE I, TABLE } 4 \\
& \text { BEFORE } \\
& \text { AFTER } \\
& \text { NET INSERTION LOSS } \\
& 61.1
\end{aligned}
$$

FIGURE 8 Sample output (Ontario program).

An example of the output produced by the program is presented in Figure 8.

## CONCLUSIONS AND RECOMMENDATIONS

The Ontario simplified BASIC program for traffic noise prediction is built on the same first principles of acoustics and uses the same assumptions as STAMINA. With the simplified program, it is possible to use small PCs or pocket calculators in a large range of simple cases to predict traffic noise without
loss of accuracy. For suitable cases, there is practically no difference between results obtained with the mainframe STAMINA program and those acquired with the proposed simple method.

The Ontario program, which was presented herein, is eminently suitable for modification by adding or replacing functions of emission levels of vehicle types. Substitute equations for the 1985 research on emission levels are given in the section on the energy level equation. The method of deriving these equations is not shown; however, it can be inferred.

Although vehicle emission levels are a matter of statistics and can be treated accordingly by periodic research efforts, it appears inevitable that there will be uncertainty about the influence of ground absorption. Even more uncertain is the influence of wind and temperature gradients on propagation rates. Could these aspects be researched to a level that would result in improved methods and standards of traffic noise prediction, measurements, or both? Observed changes in the source heights of noise emitted by trucks are another problem. Further research on these issues may be warranted.

Researchers interested obtaining copies of the Ontario program on IBM-compatible diskette should contact author C. T. Blaney. Information on updated versions of the program is also available.

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